### SELEXENY Paris June 19, 2024

# \_exical Functions: The Naked Truth

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## An editorial project with **lgor Mel'čuk** [OLST, Université de Montréal]

Title	Lexical Functions: The
Format	Short (< 200 pages) o
Content	Extensive, self-sufficie
Mode	Pedagogical, but not p
Status	Almost finalized – Dra

## e Naked Truth

### pen-access monograph

## ent presentation of lexical functions

## oopularizing

## aft available on demand







- Speakers have the ability to navigate through the lexicon exploiting lexical relations
- The smoother the navigation, the more fluent you are in the language
- Cf. relational mediostructure of dictionaries [Gouws & Prinsloo 1998]

## Knowing a lexical unit $\rightarrow$ Knowing lexical relations



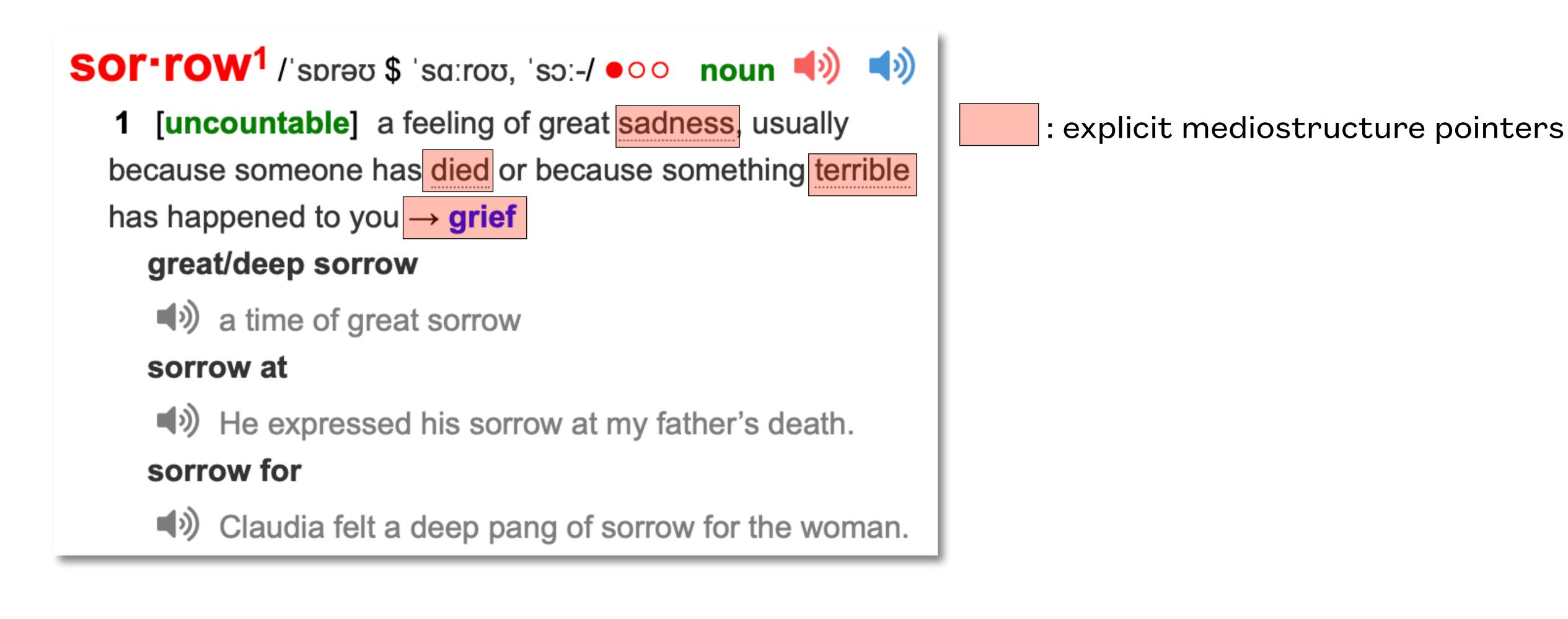


Entry **sorrow <sup>1</sup>1** in the online Longman Dictionary of Contemporary English

SOL-LOM1 / sprag \$ 'satrog, 'sot-/ • 0 noun 1 is 10 1 [uncountable] a feeling of great sadness, usually because someone has died or because something terrible has happened to you  $\rightarrow$  grief great/deep sorrow ■ a time of great sorrow sorrow at ■ Whe expressed his sorrow at my father's death. sorrow for ■ Claudia felt a deep pang of sorrow for the woman.

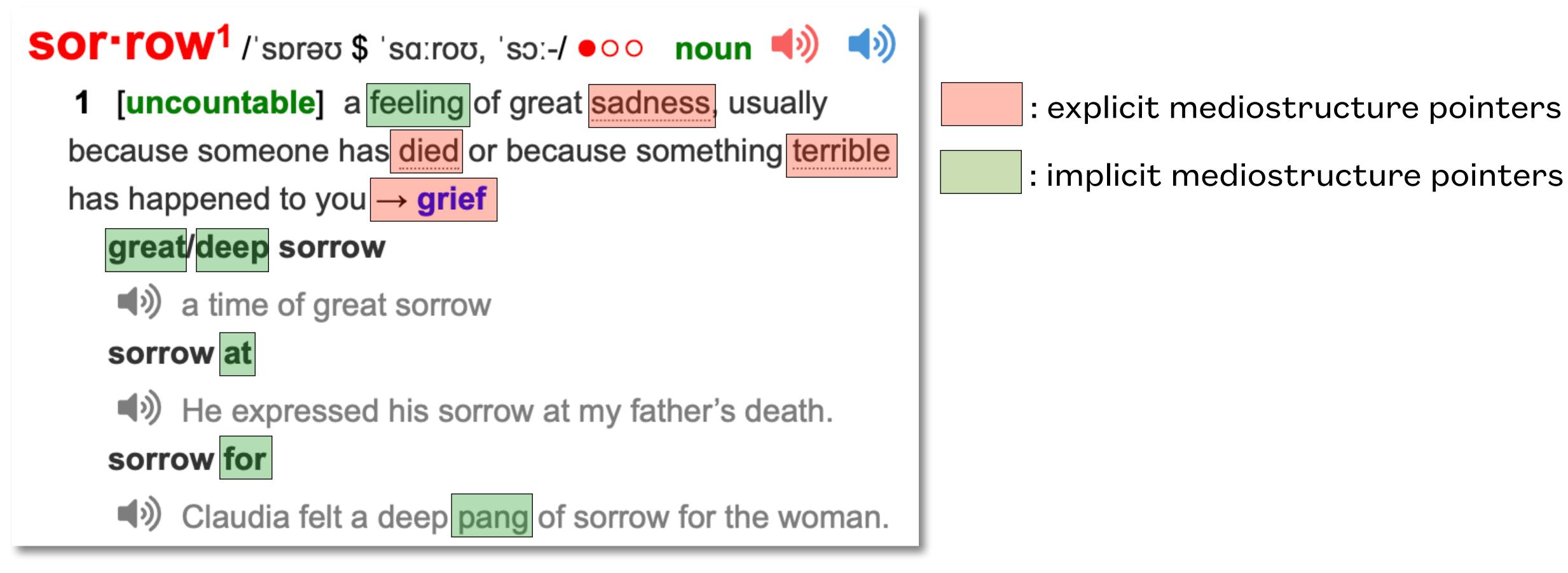


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Entry **sorrow <sup>1</sup>1** in the online Longman Dictionary of Contemporary English





# **Recurrent lexical relations**

- Some lexical relations are omnipresent in natural languages
- See Longman Dictionary's entry for sorrow<sup>1</sup>1

1.	(Quasi-)synonym	sorr
2.	Generic term	sorr
3.	Singulative	sorr
4.	Intensifier	sorr
5.	Lexically bound prepositions	sorr

Lexical functions [LFs] are a formal theoretical and descriptive tool that accounts for the first four types of relations



- $row^{1}1 \mapsto sadness, grief$
- row<sup>1</sup>1 → feeling
- $row^{1}1 \mapsto pang of \sim$
- $row^{1}1 \mapsto great, deep$
- $sorrow^{1}1 \mapsto at, for$



# What makes LFs so special?

- Not just a list of recurrent lexical relations
- Repository of a rather small set of basic **universal** relations
  - Approximately 66 simple standard LFs
  - Organized as a **formal system** 
    - Interconnected
    - Can be combined and computed on

  - Participate in **universal paraphrasing** [Milićević 2007]

• Participate in lexicalization (and syntaxization) within the semantics-syntax interface



<sup>1</sup> What do we (roughly) mean by *lexical function* [LF]?

# The problem with LFs

- For those who do use LFs in lexicology, lexicography, grammar writing, language teaching,  $\ldots$  –, they prove extremely useful (explanation, prediction,  $\ldots$ )
- But only a bunch of happy few fully master the notion of LF and the system of LFs
  - Only superficial comprehension
  - Often cited, but barely used
  - Only a couple of LFs are accessible to the "general public" in language sciences Syn 'synonym', Anti 'antonyn', Magn 'intensifier', ...
- Why and how to remedy this?





<sup>1</sup> What do we (roughly) mean by *lexical function* [LF]?

# Strategy: structure of the book

- Ch. 1 Presentation of the book
- Ch. 2 Preliminary linguistic notions
- Ch. 3 Notion of lexical function [LF]
- Ch. 4 Paradigmatic lexical functions
- Ch. 5 Syntagmatic lexical functions
- Ch. 6 Lexical networks

Additional content Appendix: sample lexicographic article, Index of notions, Index of LFs



<sup>1</sup> What do we (roughly) mean by *lexical function* [LF]?



## Main reasons why it seems such a difficult notion

Presupposes the mastering of a significant set of preliminary notions

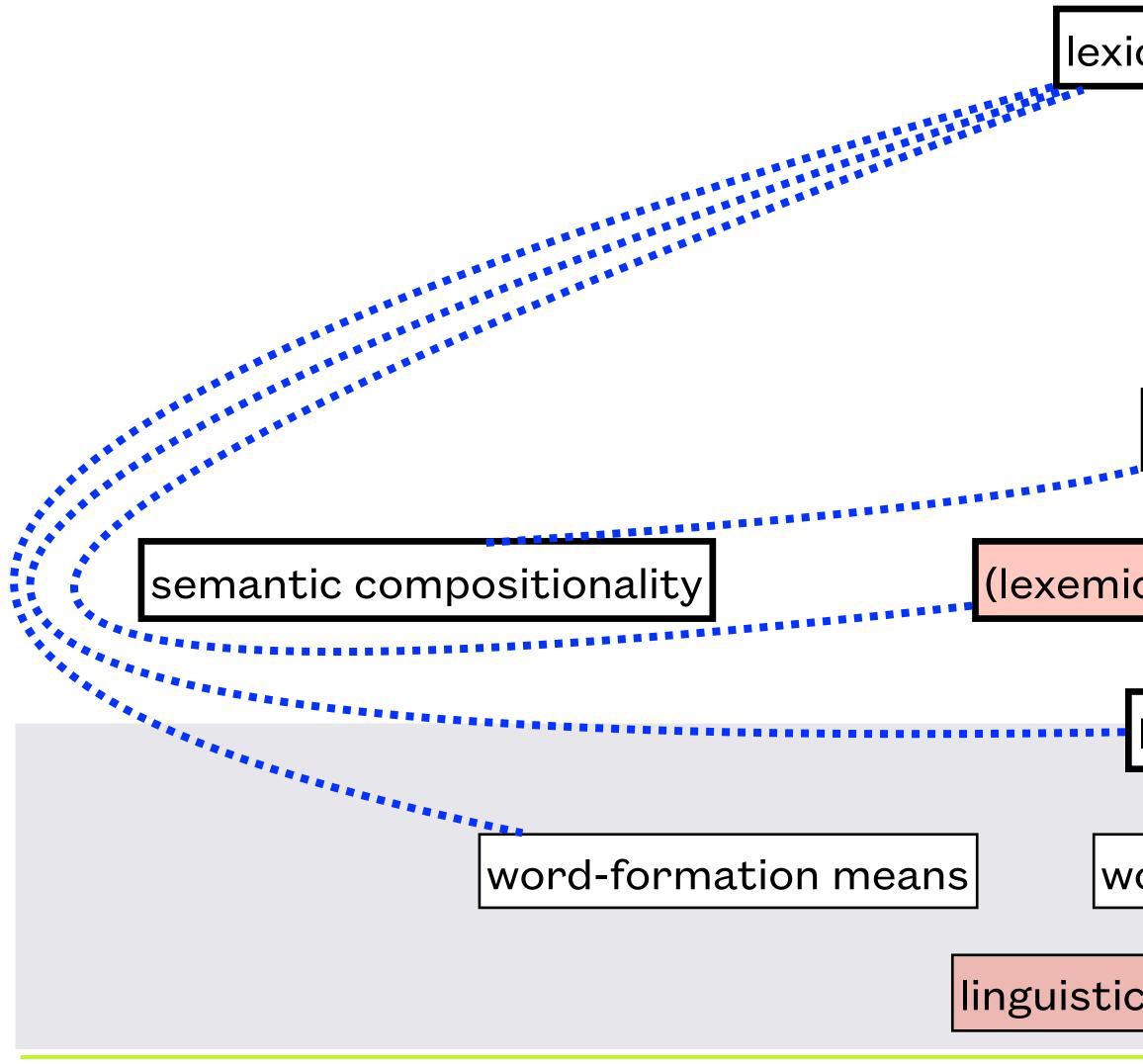
### Notion = < Concept, Term >

- From almost all modules of language organization [cf. Ch. 2]
  - **Lexical** notions types of **lexical entities**
  - 2. Semantic notions predicative analysis and representation of lexical / utterance meanings
  - 3. Syntactic notions Semantics  $\Leftrightarrow$  Dependency syntax correspondence
- Let's take a look at these preliminary notions



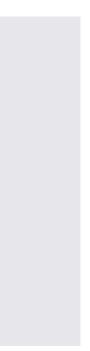
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## Building of lexical notions $\Rightarrow$ Terminology and (formal, writing, ...) conventions lexical entity polysemy vocable lexical unit idiom (lexemic) phraseme semantic compositionality lexeme signified signifier word-formation means wordform syntactics linguistic sign<sub>Meaning</sub> Text

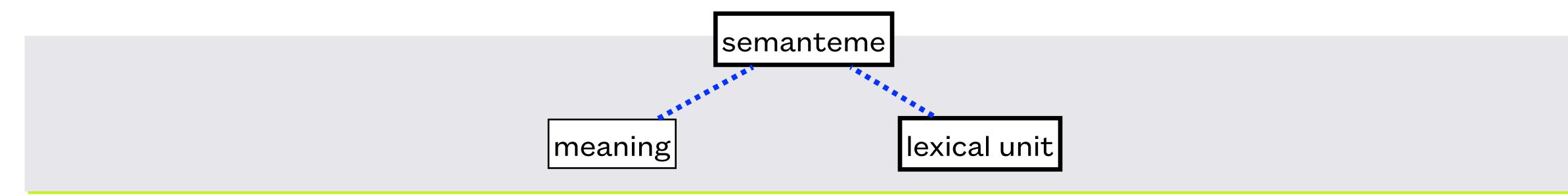


**Ch. 2** Preliminary linguistic notions

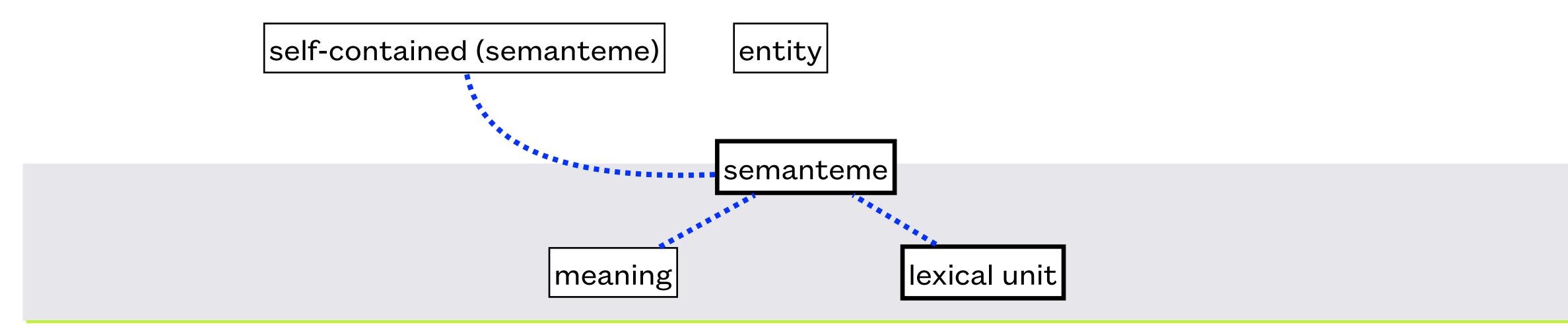




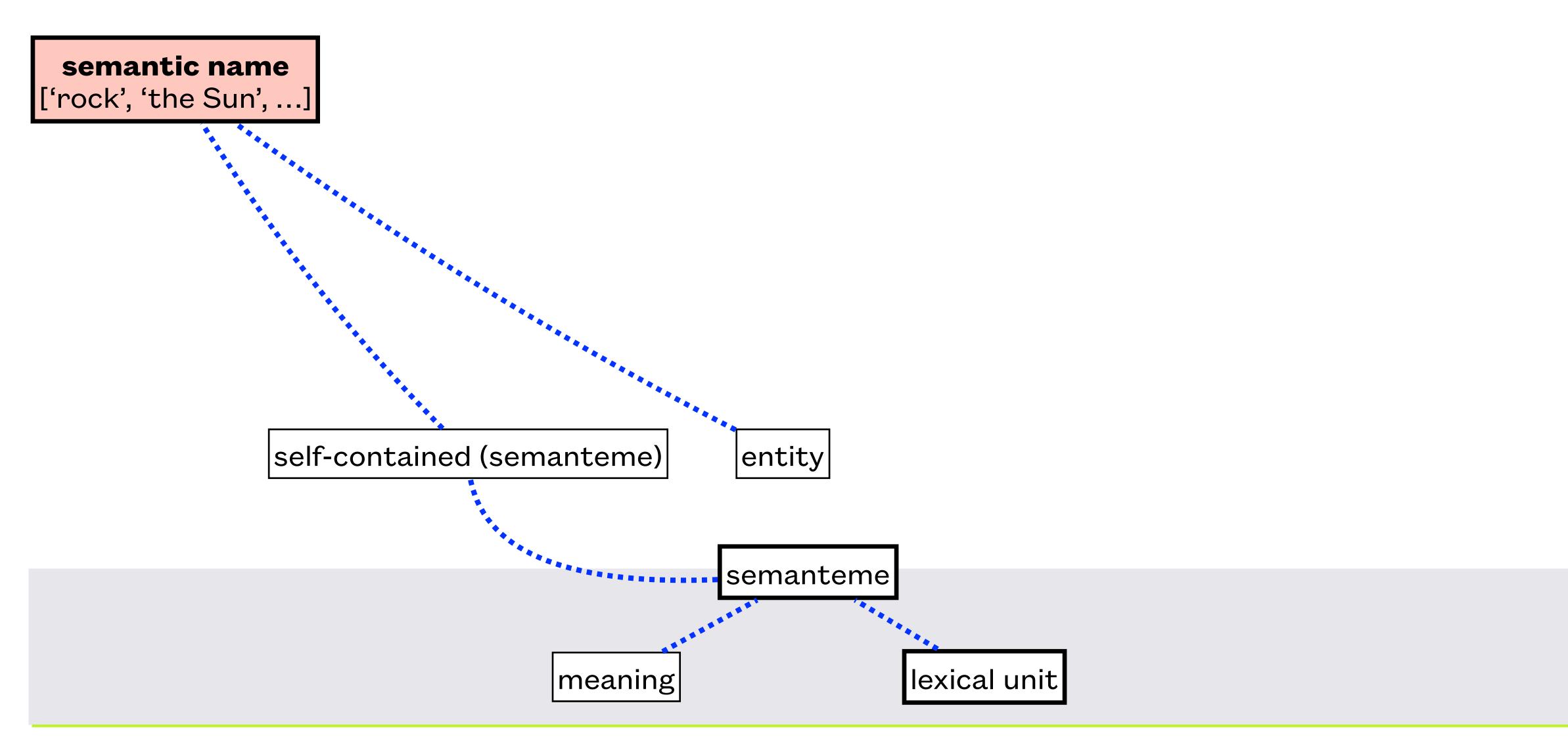




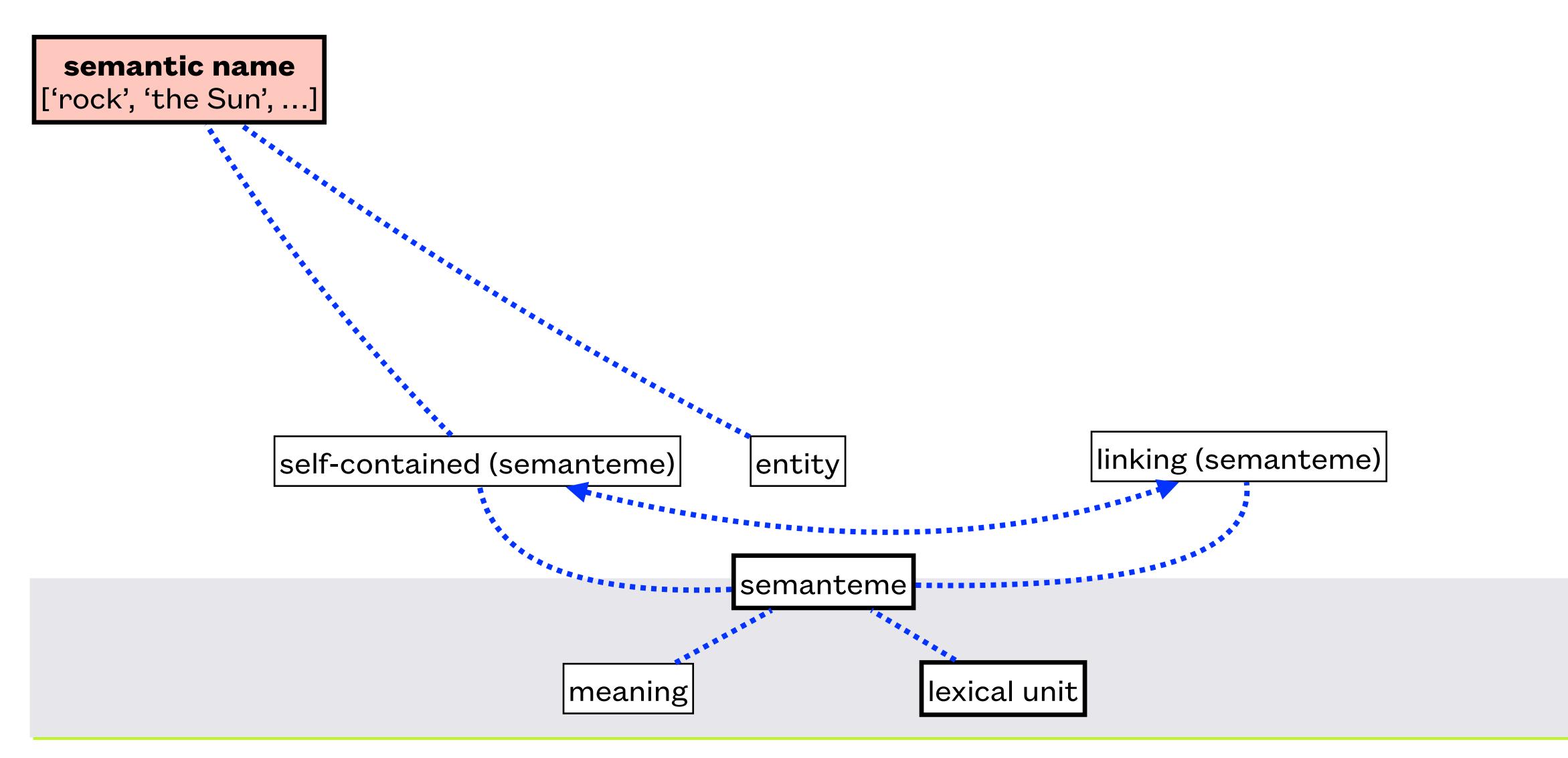




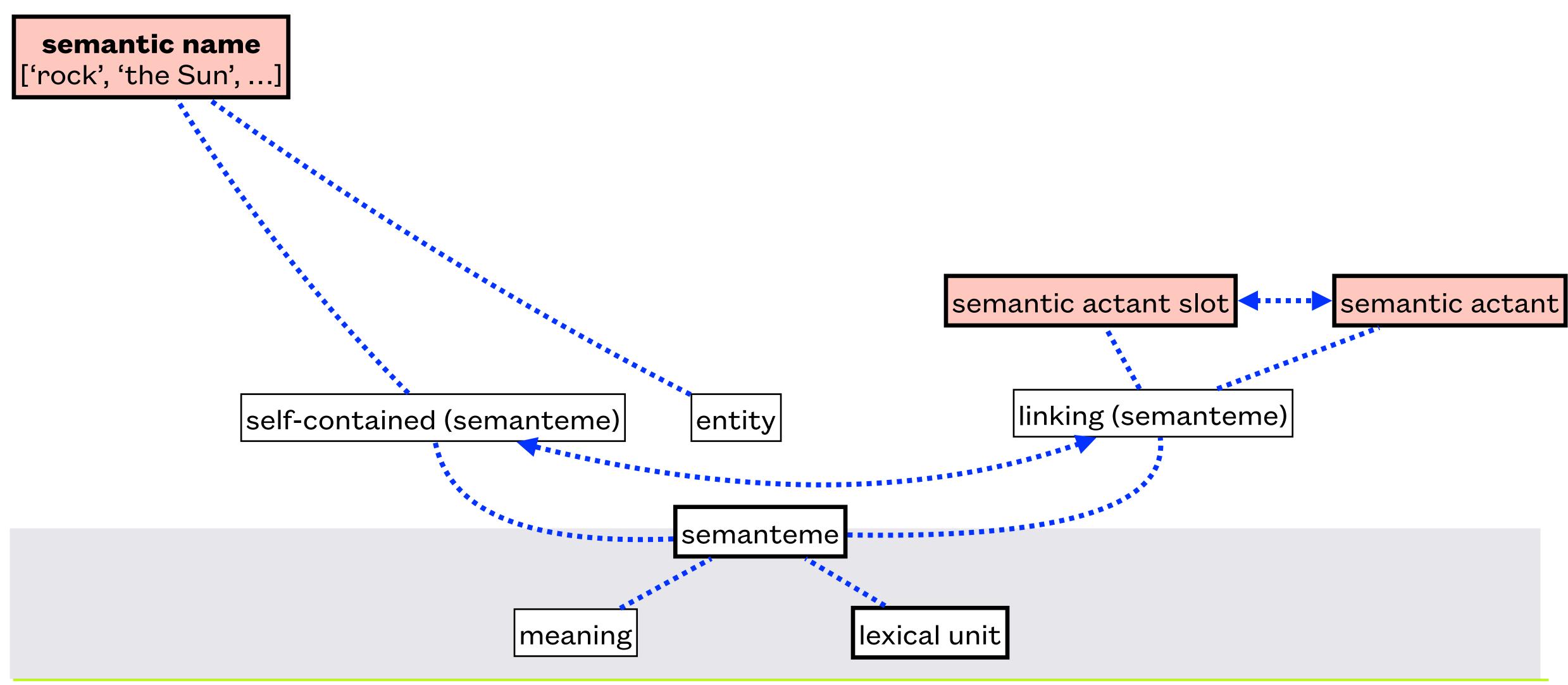




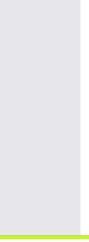




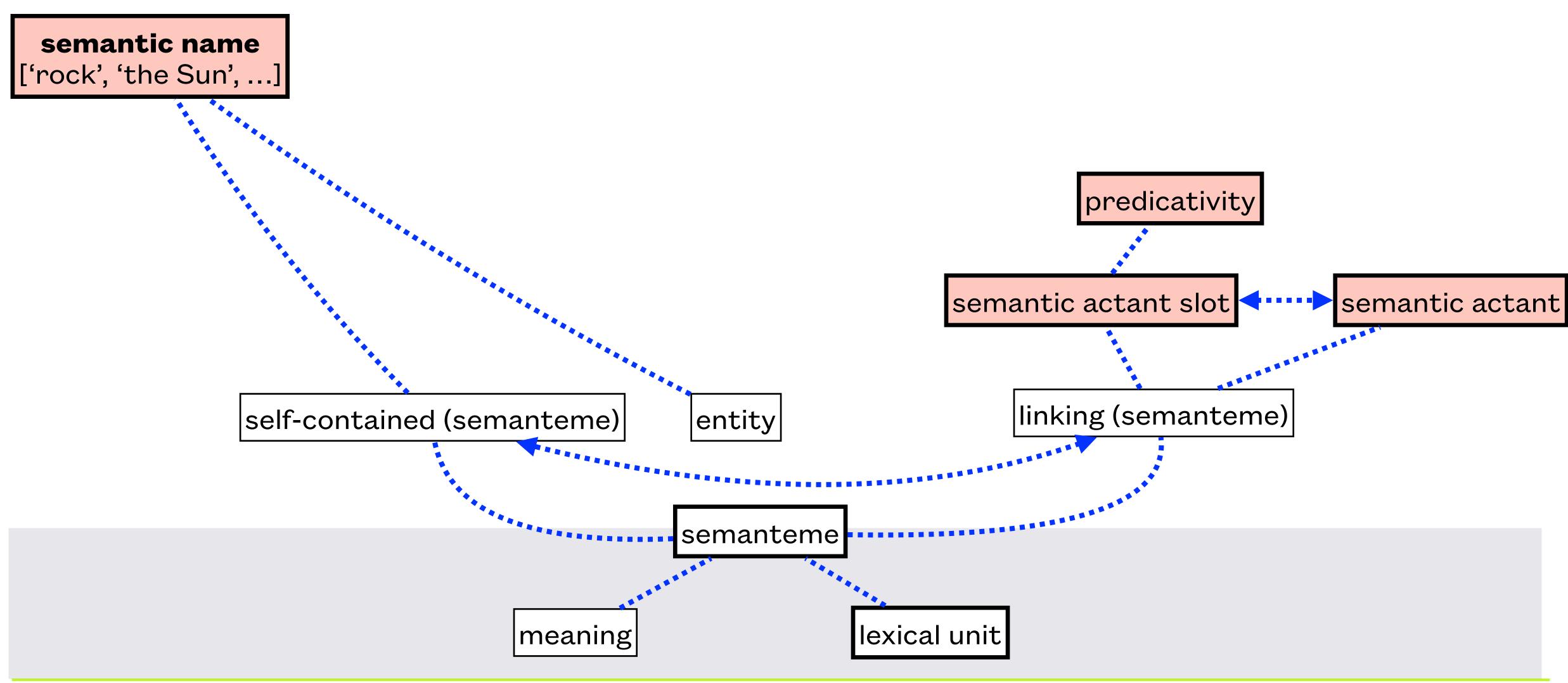




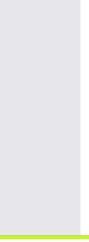




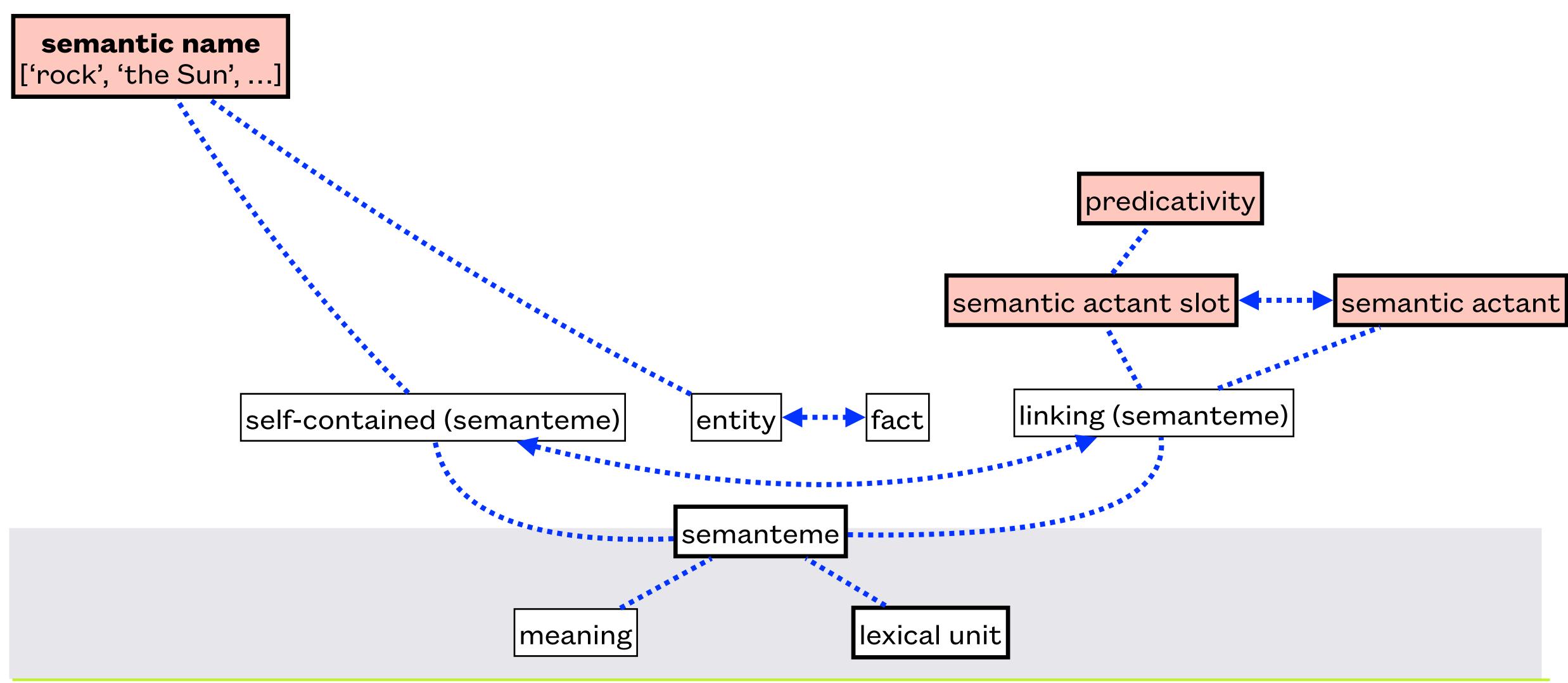




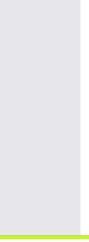




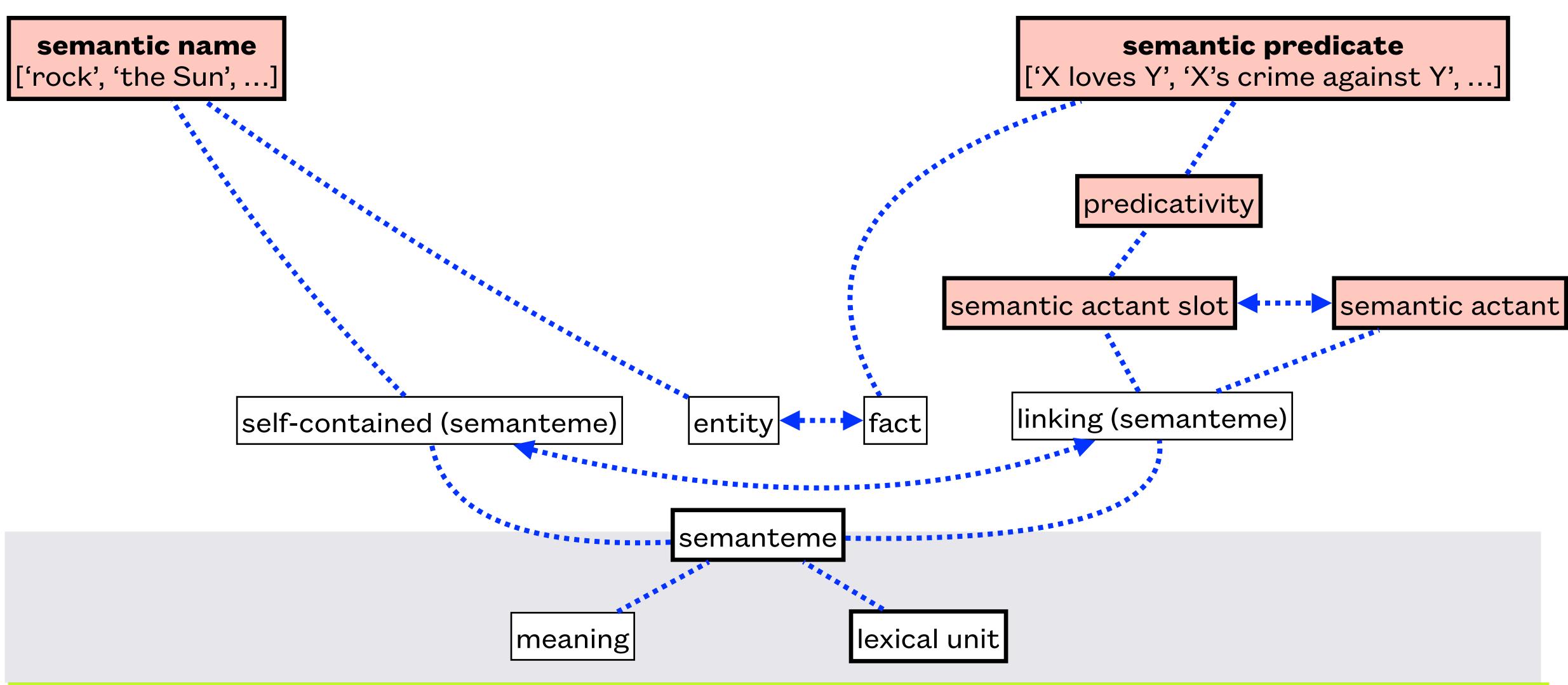






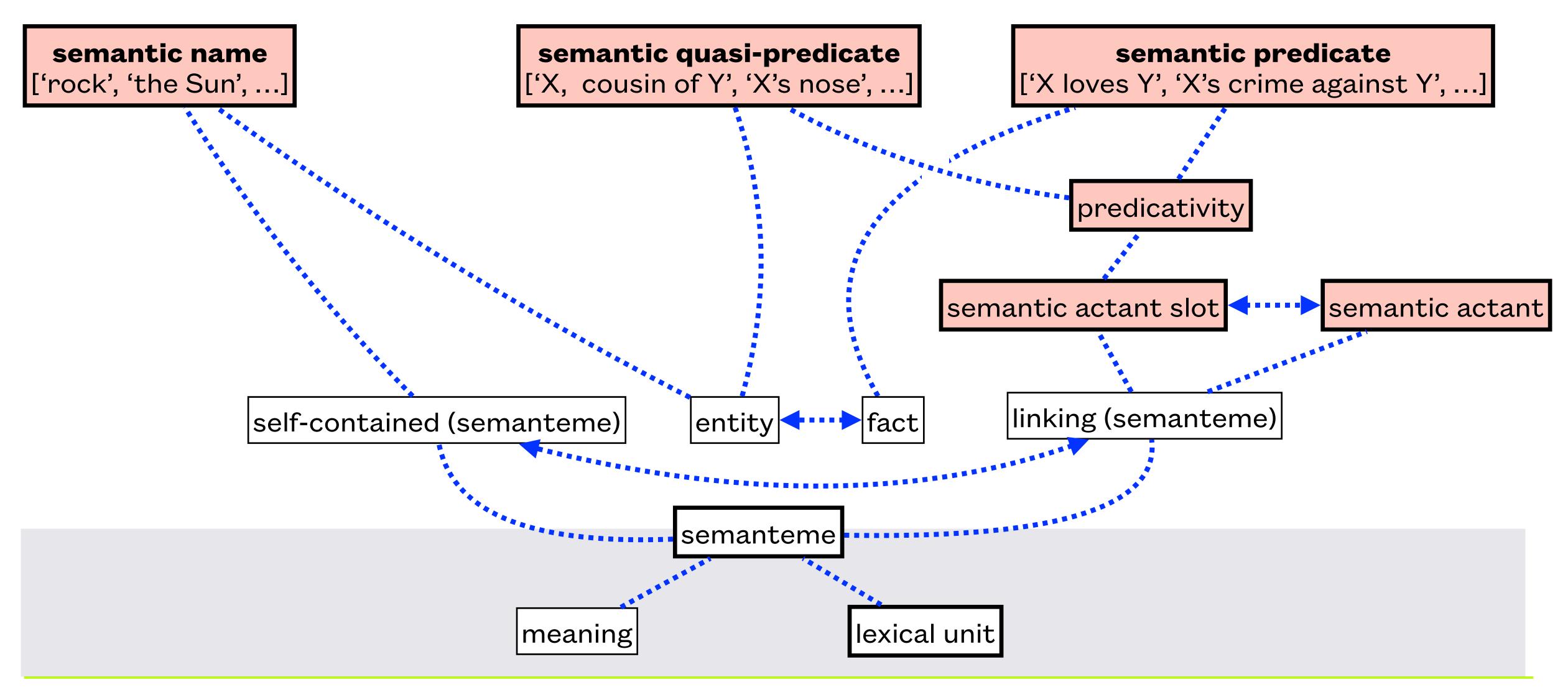














# Syntactic notions

- Potentially a lot
- Focus on
  - Meaning $\Leftrightarrow$ Text syntactic structures [SyntS]  $\Rightarrow$  Dependency syntax

  - Sem  $\Leftrightarrow$  DSynt correspondence



# Two-level dependency syntax: deep syntax [DSynt] vs. surface syntax [SSynt]



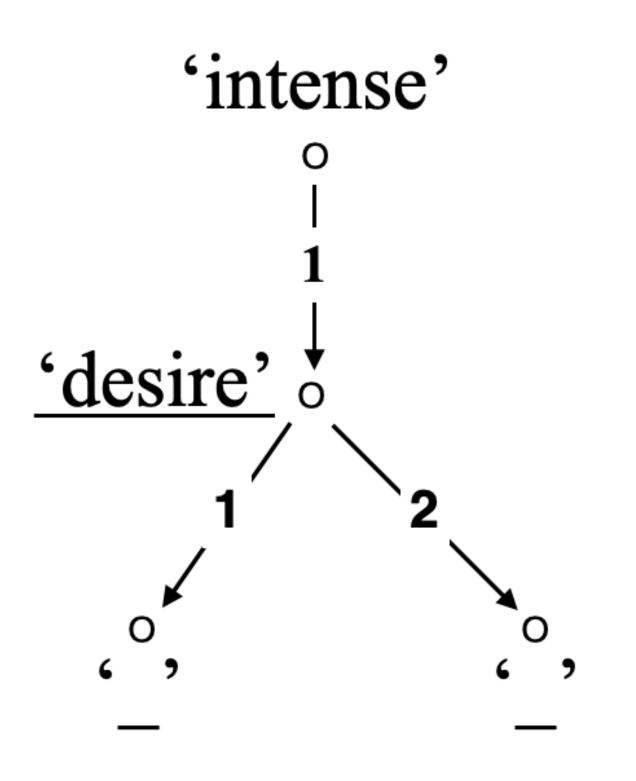
## **Example: lexicalization of** *burning desire*





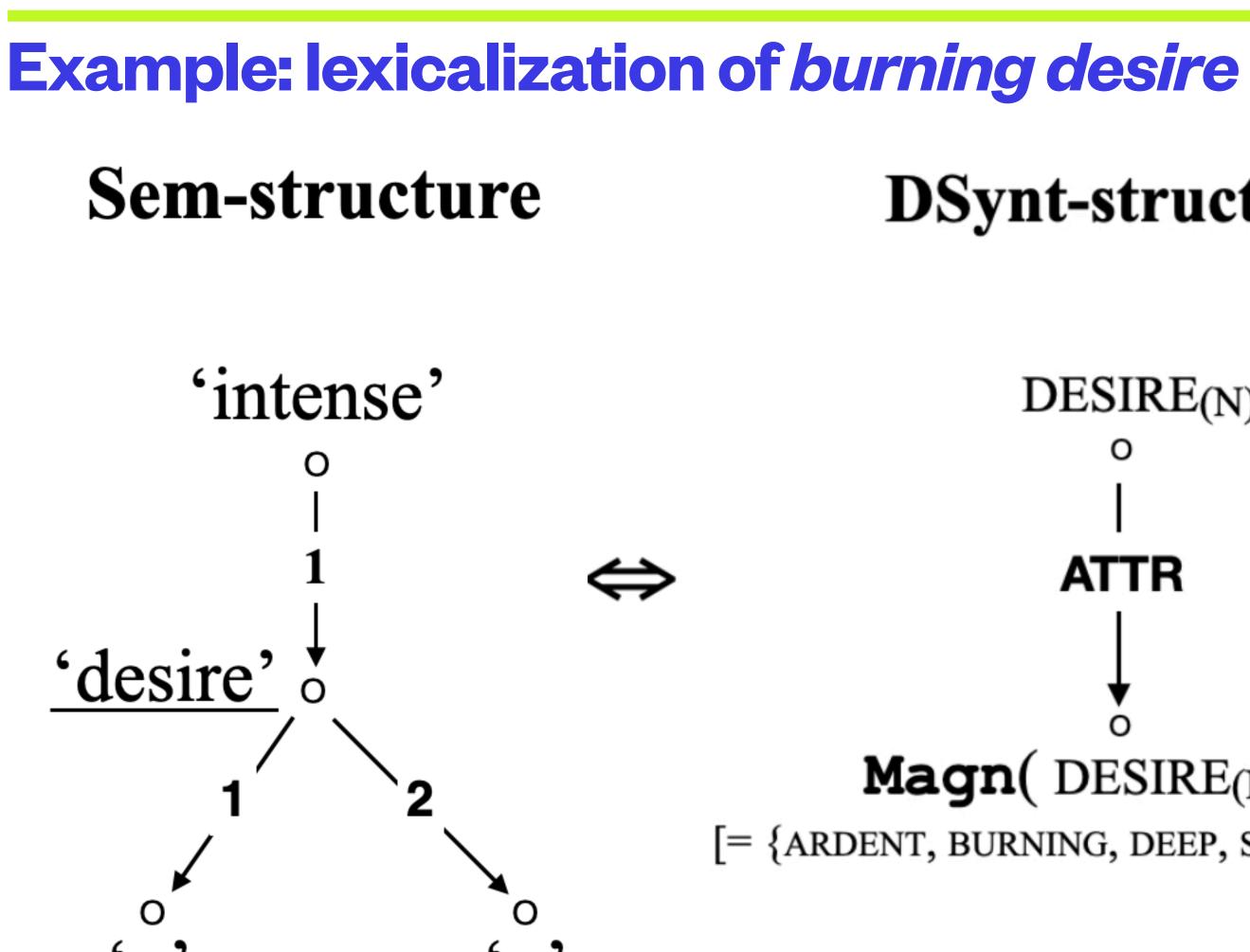
**Example: lexicalization of** *burning desire* 

## **Sem-structure**





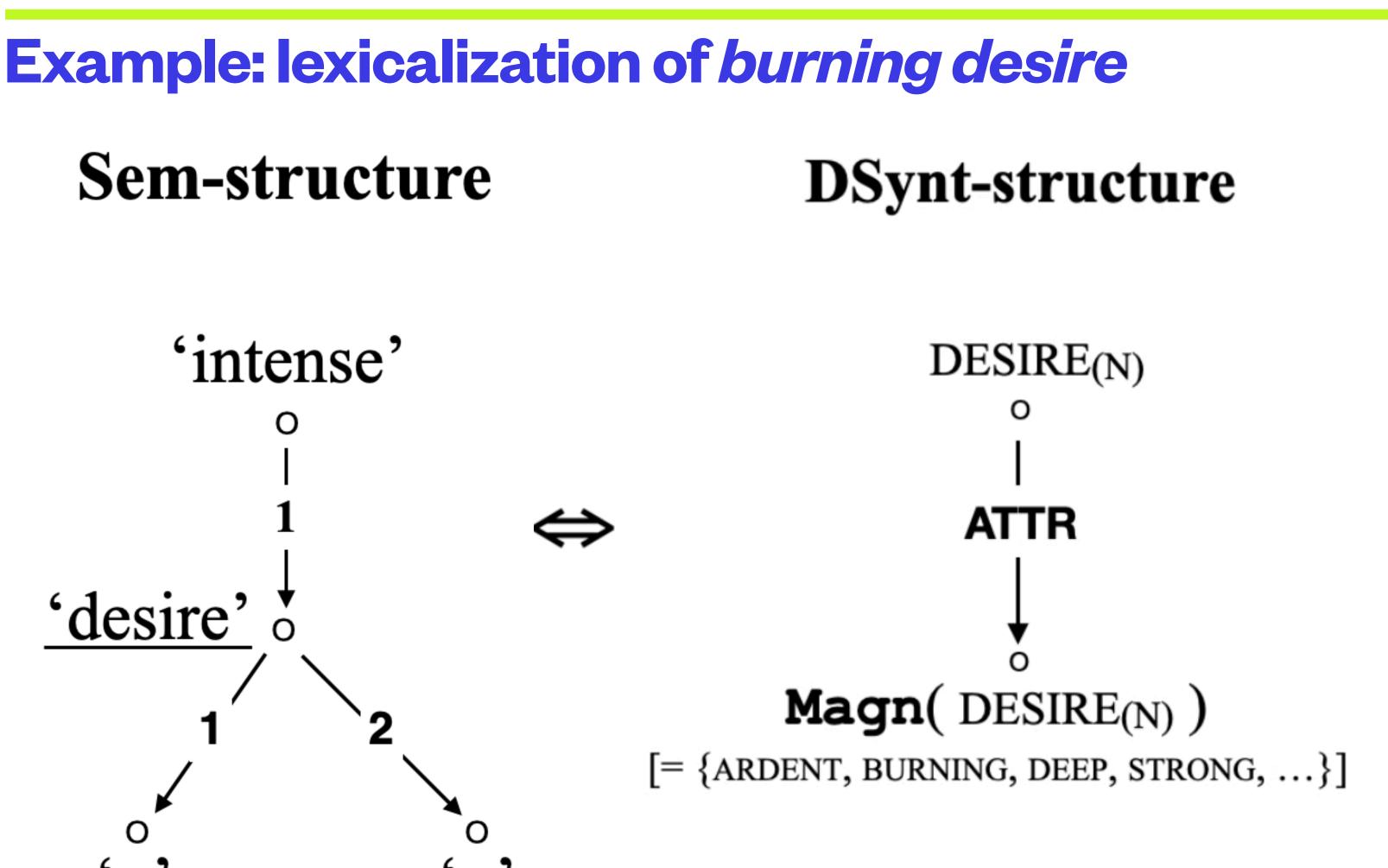




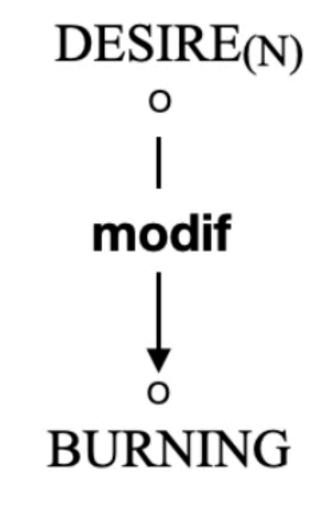
## **DSynt-structure**

DESIRE(N) ATTR Magn(DESIRE(N)) [= {ARDENT, BURNING, DEEP, STRONG, ...}]



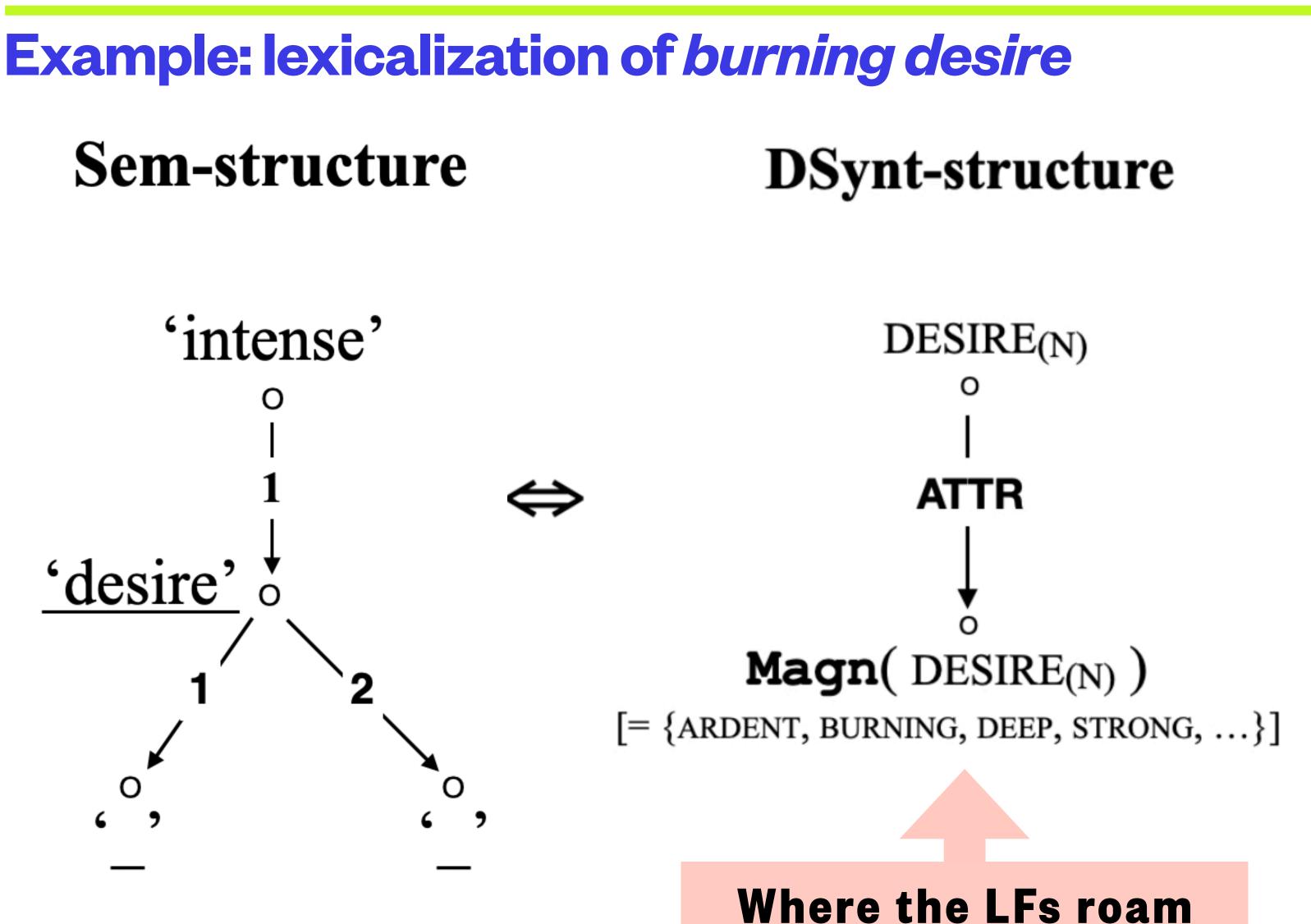


**SSynt-structure** 



 $\Leftrightarrow$ 





**SSynt-structure** 

DESIRE(N) modif **BURNING** 

 $\Leftrightarrow$ 



# Ch. 3 Notion of lexical function [LF]

# **About (mathematical) functions**

- **Mathematical function** f is a relation between a set A and a set B such that
  - 1. f applies to each individual element  $\alpha_i$  of A, called f's argument Notation:  $f(\alpha_i)$
  - 2.  $f(\alpha_i)$  returns, in constant proportion, an element  $b_i$  of B, called  $f(\alpha_i)$ 's value
  - 3. by  $f(\alpha_i)$ , each  $\alpha_i$  is associated to one and only one  $b_i$
- Example:  $f_1(x) = 2x + 3$ 
  - ▶ 0 ↔ 3
  - ▶ 1 ↦ 5
  - ▶ 2 ↔ 7
    - . . .
- Notion of lexical function [LF] built on an analogy with mathematical functions



A **lexical function** f is a function such that

- it carries a meaning ' $\sigma^{f}$ '; •
- it applies to a lexical unit L as its argument this application being • denoted as f(L);
- it returns as value a set of (quasi-)synonymous lexical entities that • express ' $\sigma^{f}$ ' as function of L.



TABLE 3.1 – Notion definition: Lexical function [LF]



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TABLE 3.1 – Notion definition: Lexical function [LF]



it applies to a lexical unit L as its argument – this application being

it returns as value a set of (quasi-)synonymous lexical entities that

• ' $\sigma^{f}$ ' is a **constrained (= non-free) meaning**  $\rightarrow$  Its lexicalization is based on another lexical choice



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- Illustrations



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TABLE 3.1 – Notion definition: Lexical function [LF]

- Illustrations
  - $A_1(doubt_{(V)}) = doubtful, in doubt = A_1(L): '[X] such that it is in situation L'$



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  - $\mathbf{A}_1(doubt_{(V)}) = doubtful, in doubt$
  - Magn(stubborn) =  $\lceil \alpha s \alpha mule \rceil$

Ch. 3 Notion of lexical function [LF]



it returns as value a set of (quasi-)synonymous lexical entities that

 $A_1(L)$ : '[X] such that it is in situation L'

Magn(L): '[L] to a high degree'



## **Notion of LF: definition**

A **lexical function** f is a function such that

- it carries a meaning ' $\sigma^{f}$ ';
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  - $\mathbf{A}_1(doubt_{(V)}) = doubtful, in doubt$
  - Magn(stubborn) =  $\lceil \alpha s \alpha mule \rceil$
  - $S_0$ (pursue) = pursuit



it returns as value a set of (quasi-)synonymous lexical entities that

- $A_1(L)$ : '[X] such that it is in situation L'
- Magn(L): '[L] to a high degree'
- $S_0(L)$ : Not a "genuine" meaning (change of part of speech)!





# **A LFs in deep syntax**

- Stumbling block in acquisition/understanding of the system of LFs
- LFs are **DSynt lexical units** that account for constrained lexical choices
- Recall Sem ⇔ DSynt ⇔ SSynt correspondences in Preliminary notions





# Paradigmatic vs. syntagmatic LFs

- Well-known classification of LFs
- Distinction based on two phenomena
  - **1.** Semantic derivation  $\rightarrow$  Paradigmatic LFs
  - 2. Collocation  $\rightarrow$  Syntagmatic LFs



### Synthetic table for the system of simple standard LFs

Paradigmatic LFs [Ch. 4]				Syntagmatic LFs [Ch. 5]			
1	Syn	19	Sres	31	Germ	49	Reali
2	$\texttt{Conv}_{\texttt{ijk}}$	20	$S_{mod}$	32	Culm	50	$Fact_i$
3	Anti (Non)	21	Ai	33	Epit	51	Labreal <sub>ij</sub>
4	Gener	22	Ablei	34	Redun	52	Prepar
5	Figur	23	Quali	35	Magn	53	Incep
6	Contr	24	$Adv_{i}$	36	Ver	54	Fin
7	S <sub>0</sub>	25	Sing	37	Bon (Degrad)	55	Cont
8	V <sub>0</sub>	26	Mult	38	Plus	56	Prox
9	A <sub>0</sub>	27	Imper	39	Minus	60	Obstr
10	Adv <sub>0</sub>	28	Perf	40	Locin	61	Stop
11	Claus	29	Imperf	41	Loc <sub>ad</sub>	62	Excess
12	Pred	30	$\texttt{Result}_{i}$	42	Loc <sub>ab</sub>	57	Caus
13	Si			43	Instr	58	Liqu
14	Equip			44	Propti	59	Perm
15	Сар			45	Copul	63	Son
16	Sloc			46	Operi	64	Manif
17	Sinstr			47	Funci	65	Involv
18	$S_{med}$			48	Labor <sub>ij</sub>	66	$\texttt{Sympt}_{ijk}$
<b>Tip.</b> In the electronic version of the present volume, LF identification numbers are clickable hyperlinks leading to the description of corresponding LFs.							



Lexicography of Lexical Systems [Polguère 2014] + Ch. 6

Ch. 3 Notion of lexical function [LF]

# LFs structure lexicons as lexical networks – Recall mediostructure of dictionaries





### LFs structure lexicons as lexical networks - Recall mediostructure of dictionaries Lexicography of Lexical Systems [Polguère 2014] + Ch. 6

"Traditional" lexicographic representation:

Syn∩( <i>promise</i> (N))	=	commitment, engagement; oath,
Real_( <i>promise</i> (N))	=	<pre> 「carry out¬, fulfill, keep(V) [ART ~]</pre>

 $pledge_{(N)}, vow_{(N)}$ ]; *honor*(V) [ART ~]

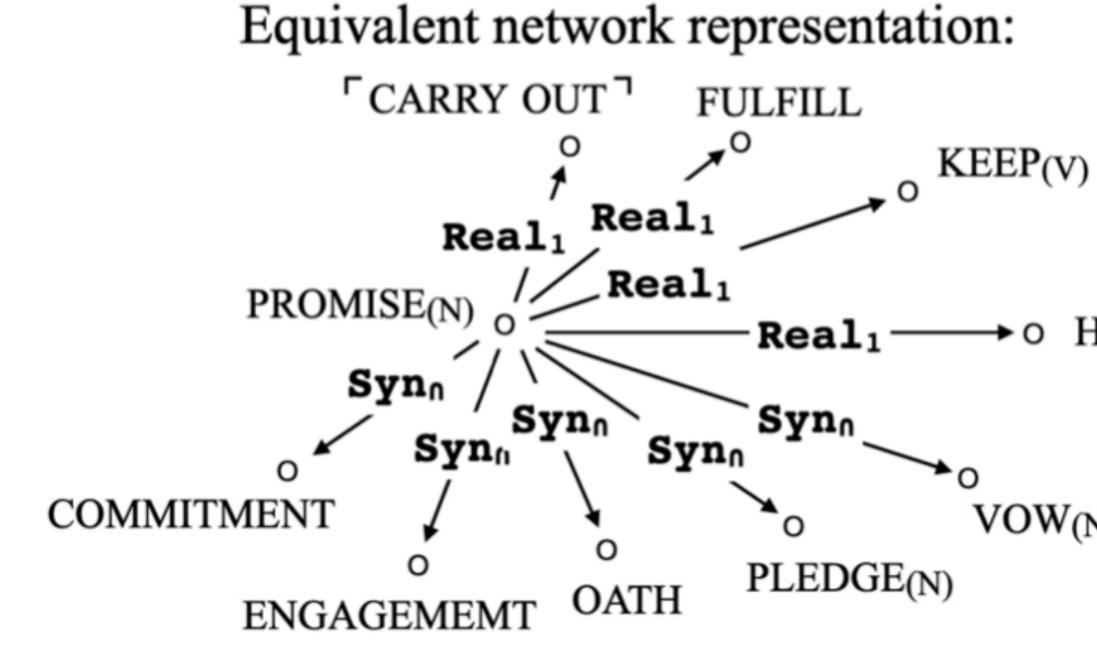




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**Ch. 3** Notion of lexical function [LF]

 $pledge_{(N)}, vow_{(N)}$ 

 $\bullet \circ HONOR(V)$ 

VOW(N)





### Ch. 4 & 5 Description of individual LFs



# **Description template for each LF**

A) Identification number + formal name + name in English

[7] S<sub>0</sub> [Lat. substantivum]: nominalization

B) Semantic-syntactic characterization + part of speech [PoS] table S<sub>0</sub> applies to a non-nominal lexical unit L and returns a noun having the same meaning as L.

S <sub>0</sub> : nominal						
L	V	Adj	Adv	Claus		
S <sub>0</sub> (L)	Ν	Ν	Ν	Ν		

Illustration in English, French and Russian



### English

S <sub>0</sub> (present <sub>(V)</sub> )
S0( <i>leave</i> (V))
S0( <i>fall</i> (V))
S <sub>0</sub> ( <i>close</i> (Adj))
S0( <b>Bang!)</b>

### French

S<sub>0</sub>(*présenter*) S<sub>0</sub>(*partir*) S<sub>0</sub>(tomber) S<sub>0</sub>(proche) S<sub>0</sub>(*près*) S<sub>0</sub>(*Pan !*)

### Russian

S <sub>0</sub> ( <i>predstavljat'</i> )	=	predstavlenie
S <sub>0</sub> ( <i>uezžat'</i> )	=	ot″ezd
S <sub>0</sub> ( <i>padat'</i> )	=	padenie
So <b>(<i>blizkij</i>)</b>	=	blizost'
S <sub>0</sub> ( <i>rjadom</i> )	=	blizost'
S <sub>0</sub> (child language <i>Pif-paf!</i> )	=	streljat'

presentation

departure

proximity

gunshot

départ

proximité

proximité

*⊂coup de feu* 

chute

présentation

fall<sub>(N)</sub>

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### Ch. 4 & 5 Description of individual LFs

And many comments, clarifications, historical/terminological/... remarks, etc.



## Acquisition strategy

### Lots of lexicographic or lexicography-related work

- Focus on acquiring and hunting for fundamental LFs Cf. boxed LF numbers in the synthetic table
- **Observe** real-life lexicalization: it's fieldwork everyday





### References

- GOUWS R. H., PRINSLOO D. J. (1998). Cross-Referencing as a Lexicographic Device. Lexikos 8, 17–36.
- Bern, Peter Lang.
- Journal of Lexicography **27(4)**, 396–418.

• MILICEVIC Jasmina (2007). La paraphrase. Modélisation de la paraphrase langagière.

• POLGUÈRE A. (2014). From writing dictionaries to weaving lexical networks. *International* 

